

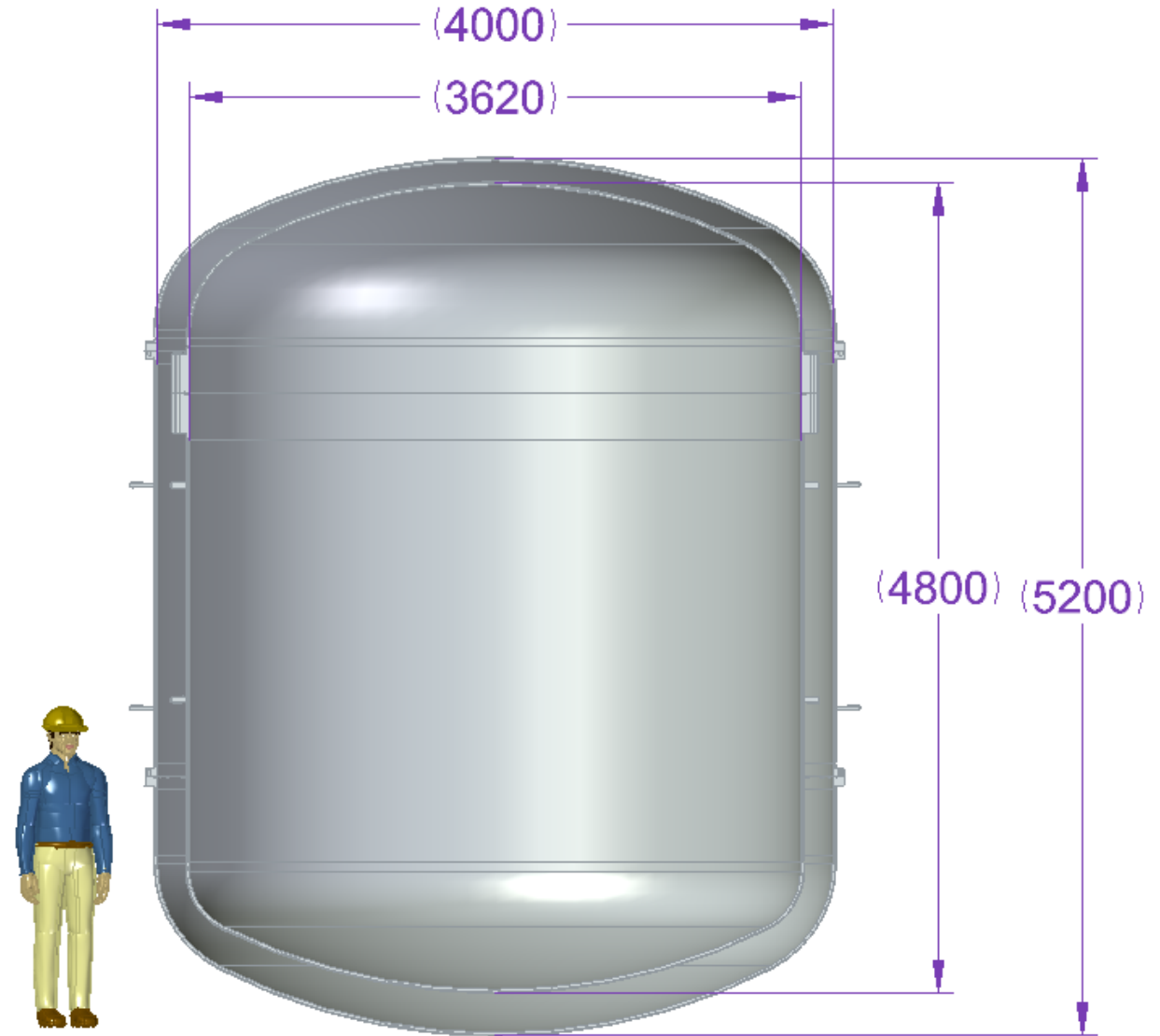
XLZD Cryostat Design

Mass Estimates (As of 03/08/2023)

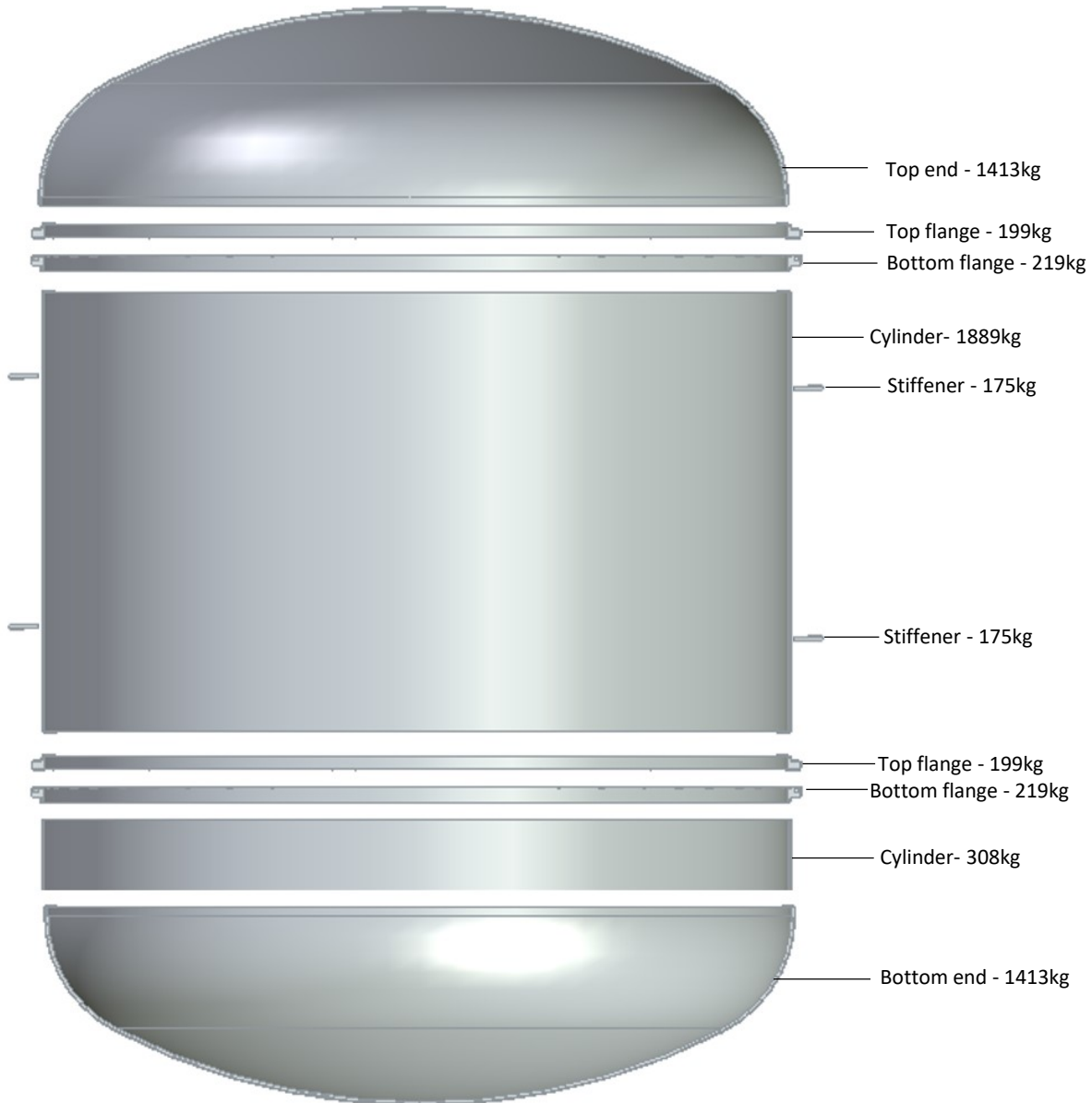
Liam Cooper

Design Notes:

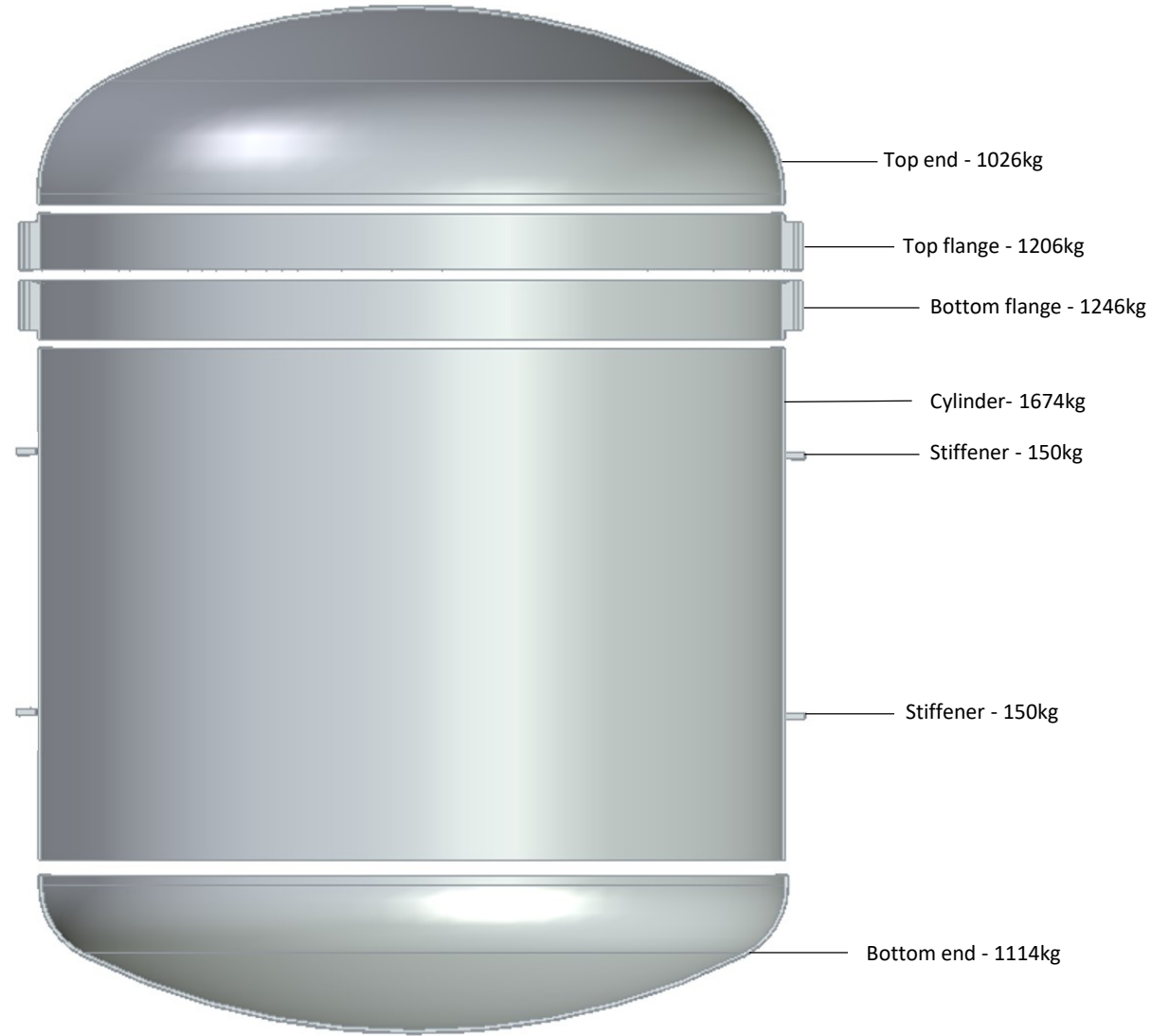
- OCV design pressures: 2bar external, 0.99bar internal
- ICV design pressures: 2bar external, 4.15bar internal
- Both vessels grade 1 titanium (assume T not exceeding 50°C)
- OCV height 5.2m, inner diameter 4.0m
- ICV height 4.8m, inner diameter 3.62m
- 2 equally spaced stiffeners on the OCV requires a 14mm cylinder thickness (no additional stiffening requires a 22mm cylinder thickness)
- 2 equally spaced stiffeners on the ICV requires a 13mm cylinder thickness (no additional stiffening requires a 20mm cylinder thickness)
- No additional stiffening from the bolted flanges yet considered
- No nozzles, openings, or external loads yet considered
- Awaiting additional information from Technetics to determine a more accurate ICV bolted flange thickness
- Stiffening ring dimensions and quantities to be optimised



OCV Masses:



ICV Masses:



Flat Bottom ICV – Preliminary Thickness Calculation

PD 5500:2018 + A2:2019

3.5.5 Flat ends and flat plates

3.5.5.3.1 Circular flat ends a) Flat ends without openings

Design pressure $P = 0.415 \text{ N/mm}^2$

Nominal design stress $f = 77 \text{ N/mm}^2$

Inner diameter of vessel $D_i = 3620 \text{ mm}$

Analysis thickness of cylindrical shell $e_{cyl} = 13 \text{ mm}$

Mean diameter of the shell $D = 3620 + 13 = 3633 \text{ mm}$

Required shell thickness $e_{cyl0} = \frac{pD}{2f} = \frac{0.415 \times 3633}{2 \times 77} = 9.79 \text{ mm}$

Ratio $\frac{e_{cyl}}{e_{cyl0}} = \frac{13}{9.79} = 1.33$

Ratio $\frac{p}{f} = \frac{0.415}{77} = 0.00539$

Initially from Figure 3.5 – 36, $C \approx 0.67$

Required flat end thickness $e = CD \sqrt{\frac{p}{f}} = 0.67 \times 3633 \times \sqrt{\frac{0.415}{77}} = 178.7 \text{ mm}$

Note C can be taken as 0.41 provided that $\frac{e}{e_{cyl}} \leq 1.5$ (Note on Figure 3.5 – 36)

Assume $C = 0.41$

$e = CD \sqrt{\frac{p}{f}} = 0.41 \times 3633 \times \sqrt{\frac{0.415}{77}} = 109.35$

$\frac{e}{e_{cyl}} = \frac{109.35}{13} = 8.41 \geq 1.5 \therefore$ assumption not valid and C must be taken as 0.67

\therefore take flat end thickness as 180mm

Check stress in shell to Annex R, ensuring that it is less than or equal to $2.7f$

$a = \frac{e}{e_{cyl}} = \frac{180}{13} = 13.85$

$b = \frac{D}{e_{cyl}} = \frac{3633}{13} = 279.46$

$I = \frac{1}{2} + \left(\frac{2.943a^3 - 2.74a + b^{1.5} + 0.909ab + 0.385b/a}{1.907a^3 + 4.849a + \frac{100}{a} + 2.667b^{0.5} + 5.875a^2/b^{0.5}} \right) = 3.54$

Maximum stress in cylinder $S = I \times \left(\frac{PD}{2e_{cyl}} \right) = 3.54 \times \left(\frac{0.415 \times 3633}{2 \times 13} \right) = 205.3 \text{ N/mm}^2$

Maximum permitted stress = $2.7f = 2.7 \times 77 = 207.9 \text{ N/mm}^2 \therefore$ Good

Flat end volume $V = 1.879 \text{ m}^3$

Grade 1 Ti density $\rho = 4510 \text{ kg/m}^3$

Flat end mass $M = 8476 \text{ kg}$

Figure 3.5-34 Typical welded flat ends and covers (for typical weld joint details, see Figure E.38)

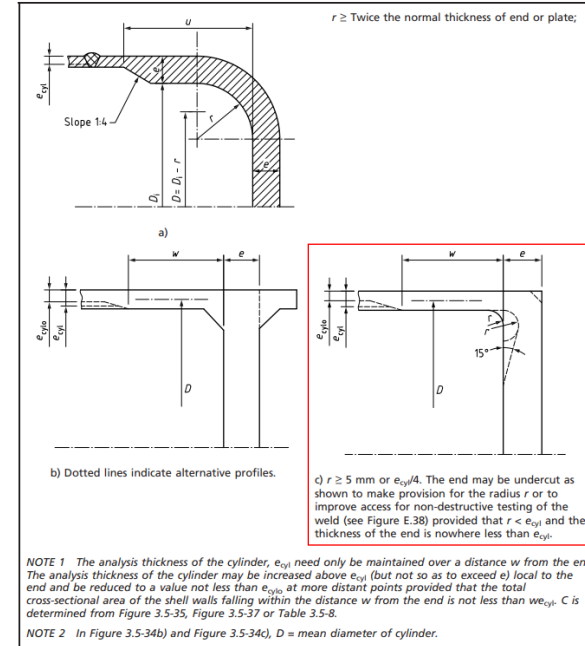


Figure 3.5-34b) and Figure 3.5-34c),

C is given by Figure 3.5-36, Figure 3.5-37 or Table 3.5-8;

Figure 3.5-36 Factor C for welded flat ends [to Figure 3.5-34b) and Figure 3.5-34c)] for $e_{cyl}/e_{cyl0} = 1$ to 3

